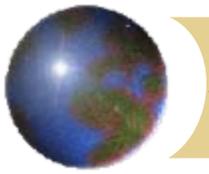


Similarity Searching

Pavel Zezula

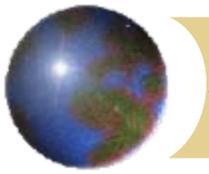
Vlastislav Dohnal

Michal Batko



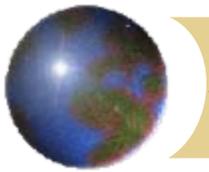
Digital Data Explosion

- Everything we **write**, **see**, or **hear** can now be in a **digital** form!!
- Estimations:
 - 93% of produced data is digital
 - digital text is important – current technology is functional
 - multimedia, scientific, sensor, etc. is becoming **prevalent**



Searching & Computer Science

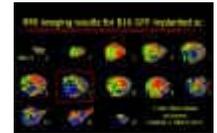
- One of the oldest and important data processing operations
- The problem is constrained by definitions of:
 - ▣ **where** to search \Rightarrow *domain (collection) of data*
 - ▣ **how** to search \Rightarrow *comparison criterion on objects*
 - ▣ **what** to retrieve \Rightarrow *query specification of data subsets*



Requirements of New Applications

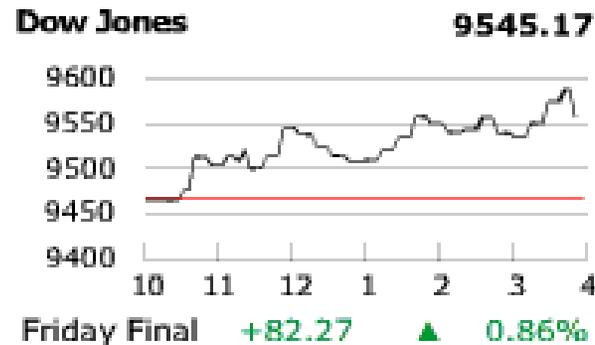
Medicine:

- *Magnetic Resonance Images (MRI)*



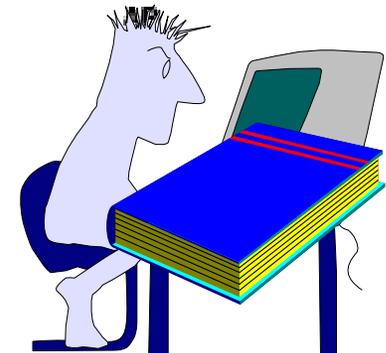
Finance:

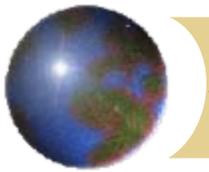
- *stocks with similar time behavior*



Digital library:

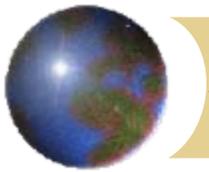
- *text retrieval*
- *multimedia information retrieval*





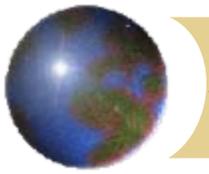
Change of the Search Paradigm

- Traditional YES-NO **keyword** search will not suffice - sortable domains of data (numbers, strings)
- New types of data need **gradual** comparison and/or ranking based on:
 - ▣ similarity,
 - ▣ dissimilarity,
 - ▣ proximity,
 - ▣ distance, closeness, etc.



Metric Space

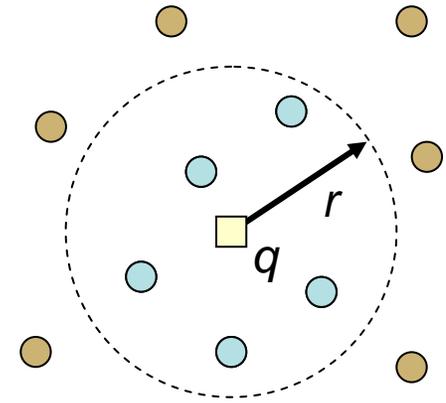
- $\mathcal{M} = (\mathcal{D}, d)$
 - A data domain \mathcal{D}
 - A *total (distance) function* $d: \mathcal{D} \times \mathcal{D} \rightarrow \mathbb{R}$ (metric function or metric)
- The metric space postulates:
 - Non negativity $\forall x, y \in \mathcal{D}, d(x, y) \geq 0$
 - Symmetry $\forall x, y \in \mathcal{D}, d(x, y) = d(y, x)$
 - Identity $\forall x, y \in \mathcal{D}, x = y \Leftrightarrow d(x, y) = 0$
 - Triangle inequality $\forall x, y, z \in \mathcal{D}, d(x, z) \leq d(x, y) + d(y, z)$



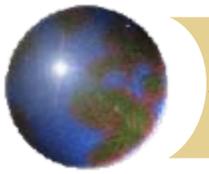
Similarity Range Query

- A range query

$$\blacksquare R(q,r) = \{ x \in X \mid d(q,x) \leq r \}$$



... all museums up to 2km from my hotel ...



Index Structures

- Centralized

- ▣ M-tree, D-index

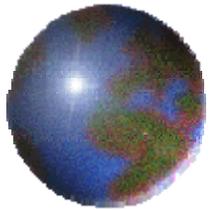
- Parallel

- ▣ Parallel M-tree

- Distributed

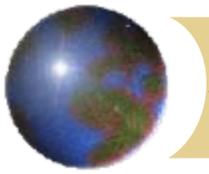
- ▣ M-Grid

- ▣ GHT*, M-Chord



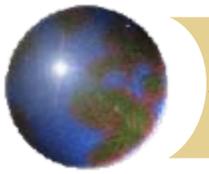
Metric Society

A new concept of indexing

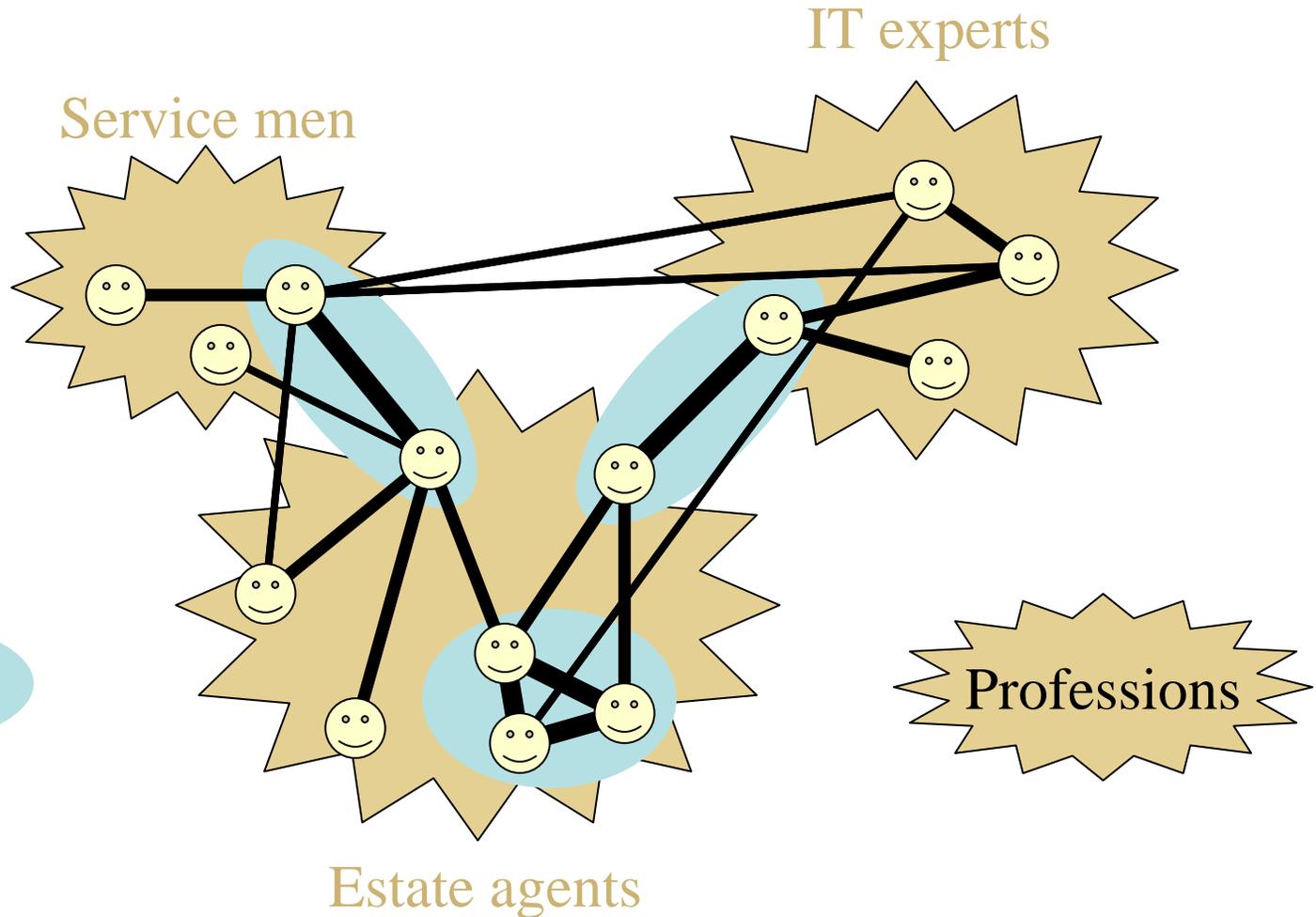


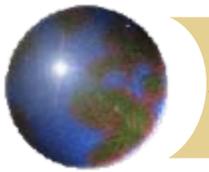
Social Networks

- A social structure consisting of nodes
 - Individuals, organizations
- Connections (ties) between nodes
 - Social familiarities
 - Casual acquaintances
 - ...
 - Close family bounds



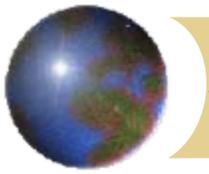
Social Networks





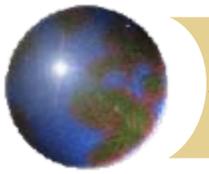
Social Networks

- Usefulness of the network
 - ▣ Search for help
 - Information, ...
 - ▣ Depends on the shape
 - Small/tight networks vs. lots of loose connections (weak ties)
- Different from structured P2P indexes
 - ▣ Nodes does not need to give up controlling their own data.
 - Nodes store data and others are allowed to search in it.

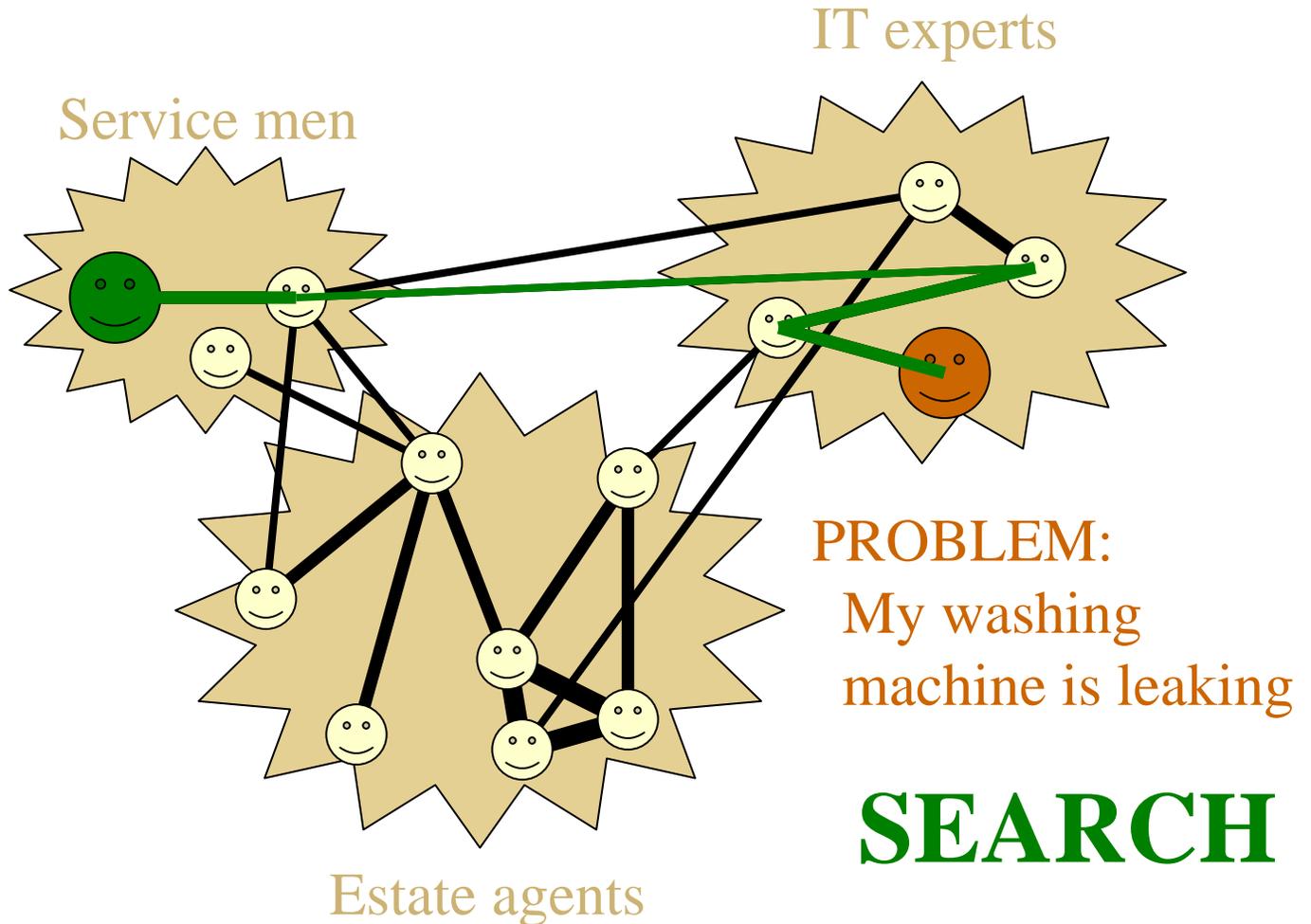


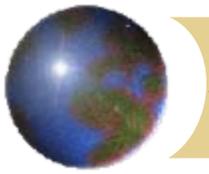
Social networks

- Attributes (data) of individuals
 - ▣ Determine a node's participation in close (tight) relationships only
- Loose (weak) relationships
 - ▣ More important when searching
 - Because the group of friends who only do things with each other already share the same knowledge and opportunities.



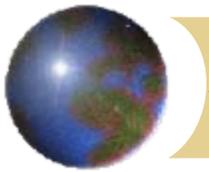
Social Networks





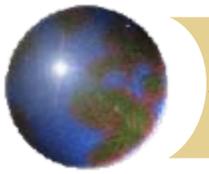
Social Networks

- Small World Problem
- Six Degrees of Separation
 - Stanley Milgram, 1967
 - 60 letters to various recruits in Omaha, Nebraska who were asked to forward the letter to a stockbroker living at a specified location in Sharon, Massachusetts.
 - Two random US citizens are connected on average by a chain of six acquaintances.
 - Completion ratio 5%



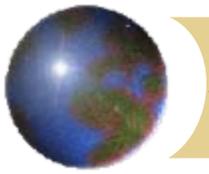
Social Networks

- The perceived value of the letter or parcel was a key factor in whether people were motivated to pass it on or not.
 - Later, researchers achieved as high as 97% completion.
- Most of the forwarding (i.e. connecting) was being done by a very small number of "stars" with significantly higher-than-average connectivity.



More Formal Model

- Searching for data using a social network
- Nodes
 - ▣ Stores data/information
 - ▣ Ask and answer queries
 - Using stored data/information
 - ▣ Forward queries to other nodes



More Formal Model

● Topology

▣ Relationships between nodes

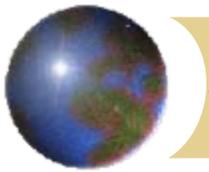
- Tightness measurable (too complex)

▣ Friends

- Tight relationship
- Nodes with similar data/information

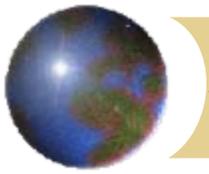
▣ Acquaintances

- Loose relationship
- Knowledge about the acquaintance's domain



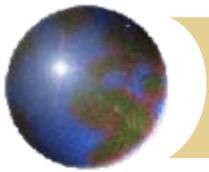
Searching in Social Network

- A query is posed to a node
 - Identify best experts
 - Deduced from previous answers
 - Similarity between question domains
 - Influences experts' relevance
- A query is either answered or forwarded
 - If a more relevant expert than me is known



Metric Society

- Use metric space similarity paradigms
 - To measure closeness between nodes
 - Friends
 - To measure relevance of query answers
 - Acquaintances
 - To measure similarity between queries
 - Routing algorithms

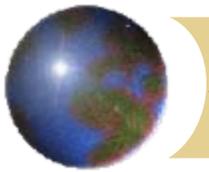


Friends

- The best friend of node P with respect to a given query $R(q,r)$ is a node P_{frd}
 - ▣ The similarity of their answers is high.

$$R_{(q,r)}(P) \approx R_{(q,r)}(P_{frd})$$

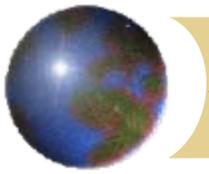
- Nodes maintain a list of friends
 - ▣ Updated by notifications from the query originator
 - The nodes that sent similar answers are notified that they are probably friends.



Acquaintances

- With respect to a query
 - ▣ Query = the node's domain of expertise
- The best acquaintance for a given query
 - $R(q,r)$ is a node P_{acq}
 - ▣ If the answer from P_{acq} is the most similar to the complete answer from all nodes.

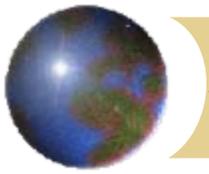
$$R_{(q,r)}(P_{acq}) \approx R_{(q,r)}$$



Search Algorithm

for known $R(q,r)$

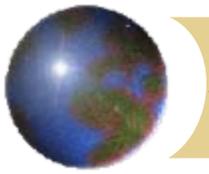
- Get the best acquaintance A for $R(q,r)$
 - ▣ One or more?
- Get the current node's result R_{cur} for $R(q,r)$
- Compare characteristics
 - ▣ Acquaintances, our result, our friends
- Forward to the node with the best characteristics of result
 - ▣ More than one, heuristics (friends/acq.)



Search Algorithm

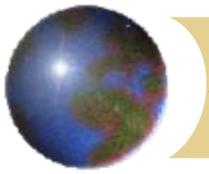
for unknown $R(q,r)$

- We must pick the best similar known query $R(q,r)$
- We may adjust characteristics
 - ▣ Estimate characteristics of the unknown query using known ones



Comparison Measurements

- Number of objects
 - ▣ Can be relative to full result set
- Query ball intersection overlaps
- Error on position
 - ▣ From approximate search
- Sum of absolute differences of histograms peaks
 - ▣ Can be weighted according to the distance from q
- Earth movers distance



Conclusion

- Implementation
 - ▣ Range search algorithm
 - ▣ Basic similarity measures
- Experiments
 - ▣ Reveal weaknesses
 - ▣ Show which similarities are unsatisfactory
 - ▣ Study recall / precision
 - ▣ Compare with “traditional” approaches