```
Blind Proxy
Voting Imple-
mentation
František Hakl
Requirements
Actors and
roles
Rules \&
Axioms
```


# Blind Proxy Voting Implementation 

František Hakl

hakl@cs.cas.cz

Institute of computer science, Prague
Sep 2018 Voting Implementation František Hakl

Motivation:

- long-term request of some colleagues for distance voting
- expected increase in the number of voters with a probable low participation in direct voting

Statutory requirements for the electoral process:

- $\mathbf{S R}_{\text {No341 }}$ : have to meet law №. 341/2005 (Zákon o v.v.i.)
- $\mathbf{S R}_{\S 18(5)}$ : §18(5) "přímá rovná tajná volba" (e.g. direct equal secret suffrage)

General requirement on electoral process:

- $\mathbf{G R}_{1}$ : allows remote ballot
- $\mathbf{G R}_{\mathbf{2}}$ : subsequently check-able (after the voting)
- $\mathbf{G R}_{3}$ : open-and-shut (easy to prepare, easy to vote, easy to evaluate)
- $\mathbf{G R}_{\mathbf{4}}$ : trustworthy and transparent
- $\mathrm{GR}_{5}$ : private (should contain identity anti-disclosure mechanisms)
- $\mathbf{G R}_{6}$ : resistant to sabotage and manipulation
- $\mathbf{G R}_{\mathbf{7}}$ : not demanding special infrastructure (including internet protocols and connections)
- $\mathbf{G R}_{\mathbf{8}}$ : the possibility of documenting the election result and recalculation of votes

Sources:

- Haniková Z., "Blind Proxy Voting", Tech. Rep. No. V-1250, ICS AS CR, 2017
- Wikipedia

Blind Proxy Voting Implementation František Hakl Requirements roles

Human sets:

|  |  | defined by | role | minimal requirements |
| :---: | :---: | :---: | :---: | :---: |
| voters | $\bar{V}$ | law | determine $\bar{G}_{i}, \overline{E B}$ | meet law and internal regulations |
| two generators | $\begin{aligned} & \bar{G}_{1} \\ & \bar{G}_{2} \end{aligned}$ | $\bar{V}$ | generate and distribute keys | $\begin{gathered} \left\|\bar{G}_{1}\right\|=\left\|\bar{G}_{2}\right\|=1 \\ \left(\bar{G}_{1} \cup \bar{G}_{2}\right) \cap \bar{V}=\emptyset \end{gathered}$ |
| election board | $\overline{E B}$ | $\bar{V}$ | evaluation of elections | $\begin{gathered} \|\overline{E B}\| \geq 3 \\ \text { (odd and }>1 \text { ) } \end{gathered}$ |
| two proxies | $\begin{aligned} & \bar{P}_{1, v} \\ & \bar{P}_{2, v} \\ & \hline \end{aligned}$ | voter $v \in \bar{V}$ | represent voter | $\bar{P}_{1, v} \text { and } \bar{P}_{2, v}$ <br> mutually unknown |
| candidates | $\bar{C}$ | themselves | persons to be elected | meet law and internal regulations |

- in addition all sets $\bar{G}_{i}, \bar{P}_{i, v}, v \in \bar{V}, \bar{E} B, \bar{C}$ must be mutually disjoint
- there is possible that proxy does not know the identity of his/her principal voter
- !!! proxy does not know who is the second proxy and vice-versa !!!

Blind Proxy Voting Implementation František Hakl Requirements

Actors and roles

Data flow
Keys and hash

Key code example

Ballot forms examples
Matrix example Perm. example

Rules \&
Axioms
Rules
Axioms
Attacks analysis Table Conclusion

Data-flow sheet:


## Blind Proxy

 Voting Implementation
## František Hakl

Requirements
Actors and roles

Data flow
Keys and hash

## Key code

 exampleBallot forms examples

Matrix example

Perm. example
Rules \&

## Axioms

Rules
Axioms
Attacks analysis
Table
Conclusion


Cryptography hash functions:

- main properties of cryptography hash:
- pre-image resistance:
for hash $h$ it is difficult to find $m$ such that $h=$ hash $(m)$
- second pre-image resistance: for $m_{1}$, it is difficult to find a different $m_{2}$ such that $\operatorname{hash}\left(m_{1}\right)=\operatorname{hash}\left(m_{2}\right)$
- collision resistance:
it is difficult to find tuple $m_{1} \neq m_{2}$ such that hash $\left(m_{1}\right)=\operatorname{hash}\left(m_{2}\right)$
- in addition $\operatorname{HMAC}(K, m)=\operatorname{hash}\left(\left(K^{\prime} \oplus\right.\right.$ opad $\left.) \| \operatorname{hash}\left(\left(K^{\prime} \oplus i p a d\right) \| m\right)\right)$ is resistant to length-extension attacks
- widely uses in electronic communication for password store \& verification, file integrity check, proof-of-work, file or data identifier, pseudo-random generation, key derivation and other digest applications
- implemented in frequently used programming languages, including php and Python
- Python 3.6 implements hashlib and hmac libraries: sha3_224(), sha3_256(), sha3_384(), sha3_512(), shake_128(), shake_256(), blake2b(), blake2s() (sha is developed and used by NSA)
- php7.2: print_r(hash_algos()); lists approximately 50 hash functions (md5, sha, ripemd, whirlpool, tiger, snefru, gost, gost-crypto, adler, crc, fnv, joaat, haval)
- IMPORTANT: 2018 standard CPU (GPU) can compute approximately $10^{6}$ hashes per second for an input of the length 8


## Blind Proxy

 Voting Implementation František Hakl RequirementsActors and roles

Data flow
Keys and hash

Key code example

Ballot forms examples Matrix example Perm. example

Rules \& Axioms
Rules Axioms

Attacks analysis Table Conclusion

Keys (suggested example):

## $\bar{G}_{1}$ generate LETTER keys set

| Key | Salt | hash |
| :---: | :---: | :---: |
| AfGkDT | f19f774a23ab46b89356f7ce77f6a203 | hash(salt.AfGkDT.salt) |
| DsEgju | 08609 e cb 43 d 4 b 69 ba 48 dd 46 d 73303 eb | hash(salt.DsEgju.salt) |
| DwEjKI | 19dd4a6303824e6396b4b971c98fa3ee | hash(salt.DwE jKI.salt) |
| eERviA | $436 d 52511 \mathrm{~b} 0646389 \mathrm{f1ab45c0191d7c7}$ | hash(salt.eERviA.salt) |
| HGEShY | 23 e 2 e 51 a 9904 b 47 a 667220 bf 9847 ec 4 | hash(salt.HGEShY.salt) |
| HSWEja | f5cb0c491729441d98ebf3a6224032aa | hash(salt.HSWE ja.salt) |
| lahdFT | f25cebd3078b4512ad5cad33d502376b | hash(salt.1ahdFT.salt) |
| ldfyFg | $74 \mathrm{cdb} 89 \mathrm{~d} 710 \mathrm{c} 479 \mathrm{e} 97 \mathrm{a} 952 \mathrm{be9828e27}$ | hash(salt.1dfyFg.salt) |
| lSiKaF | $27 c 295 a 0406 a 4106 a 1 a 470 a 249281925$ | hash(salt.1SiKaF.salt) |
| sdgEda | aef5b316c04b47db 55 f 86038 bfb 61108 | hash(salt.sdgEda.salt) |
| sDhHda | $6 \mathrm{f} 8 \mathrm{fb} 80 \mathrm{daa} 944 \mathrm{bca89e061b0051eb71c}$ | hash(salt.sDhHda.salt) |

## $\bar{G}_{2}$ generate DIGIT keys set

| Key | Salt | hash |
| :---: | :---: | :---: |
| 136471 | a343e926a85740f9b1fc21b1537c1d29 | hash(salt.136471.salt) |
| 156434 | $56 \mathrm{cabdf213ca4d0aa9ac26a6fb083a6f}$ | hash(salt.156434.salt) |
| 451587 | 55e441d45523432cb771f441bf90b681 | hash(salt. 451587. salt) |
| 458365 | 3a8b4a6afd0e48bbb49b742c10343a94 | hash(salt.458365.salt) |
| 658745 | e15dc2e41b3540b19368f25d5a8a91ef | hash(salt.658745.salt) |
| 712732 | eb83bc95c1014e6592fac8bb739f2cbc | hash(salt.712732.salt) |
| 746212 | 98a0c0e7d9fc4440b0d21928e23b3b15 | hash(salt. $746212 . s a l t)$ |
| 918396 | 2 e 8 e 013 cb 8 e 44 d 6991479 5 382355533 | hash(salt.918396.salt) |
| 925319 | dd8129a63c944cd5952ad707185105b5 | hash(salt.925319.salt) |

Blind Proxy Voting Implementation

Keys:

- ordered tables of unique keys, salts and hashes are generated by $\bar{G}_{1}$ and $\bar{G}_{2}$ independently and in secret
- salts should be at least of 32 hex number
- number of keys generated in each set is roughly four-fold than the number of voters
- both lists of hashes are published
- hash method used is published
- both lists of keys and salts remain secret
- keys and corresponding salts are put into envelopes (separately by both $\bar{G}_{1}$ and $\bar{G}_{2}$, one corresponding tuple (key,salt) per envelope)
- voter randomly chooses just four envelopes with two LETTER (L1, L2) and two DIGIT (D1, D2) keys against the signature
- the voter can check to get the keys from the lists (hash method is published, salt is known by voter)

```
Blind Proxy
Voting Imple-
    mentation
František Hakl
```


## Code generating keys

```
Python3
```

\#!/usr/bin / python3

```
#!/usr/bin / python3
```

\#!/usr/bin / python3
import uuid, hashlib, random, time, string
import uuid, hashlib, random, time, string
import uuid, hashlib, random, time, string
key_array = []; salt_array = []; key_salt_array= []; hash_array = [];
key_array = []; salt_array = []; key_salt_array= []; hash_array = [];
key_array = []; salt_array = []; key_salt_array= []; hash_array = [];
sal = string.ascii_letters
sal = string.ascii_letters
sal = string.ascii_letters
random_seed = input('Please enter any randomize string:')
random_seed = input('Please enter any randomize string:')
random_seed = input('Please enter any randomize string:')
random.seed(random_seed+str(time.time())) \# time prevents retake keys
random.seed(random_seed+str(time.time())) \# time prevents retake keys
random.seed(random_seed+str(time.time())) \# time prevents retake keys
pool_size = input('Please enter pool size (int):')
pool_size = input('Please enter pool size (int):')
pool_size = input('Please enter pool size (int):')
for v in range(int(pool_size)) :
for v in range(int(pool_size)) :
for v in range(int(pool_size)) :

# key_v = str(random.randint(100000, 999999)) \# DIGIT keys

# key_v = str(random.randint(100000, 999999)) \# DIGIT keys

# key_v = str(random.randint(100000, 999999)) \# DIGIT keys

    key_v = ''.join([random.choices( sal )[0] for x in range(6)]) # LETTER keys
    key_v = ''.join([random.choices( sal )[0] for x in range(6)]) # LETTER keys
    key_v = ''.join([random.choices( sal )[0] for x in range(6)]) # LETTER keys
        salt_v = uuid.uuid4().hex
        salt_v = uuid.uuid4().hex
        salt_v = uuid.uuid4().hex
        en_salt = salt_v.encode()
        en_salt = salt_v.encode()
        en_salt = salt_v.encode()
        hash_v = hashlib.sha256( en_salt + key_v.encode() + en_salt ).hexdigest()
        hash_v = hashlib.sha256( en_salt + key_v.encode() + en_salt ).hexdigest()
        hash_v = hashlib.sha256( en_salt + key_v.encode() + en_salt ).hexdigest()
        hash_array.append(hash_v + '\n')
        hash_array.append(hash_v + '\n')
        hash_array.append(hash_v + '\n')
        key_salt_array.append('\perpage{' + key_v + '}{' + salt_v + '}\n')
        key_salt_array.append('\perpage{' + key_v + '}{' + salt_v + '}\n')
        key_salt_array.append('\perpage{' + key_v + '}{' + salt_v + '}\n')
    key_salt_array = list( set( key_salt_array))
key_salt_array = list( set( key_salt_array))
key_salt_array = list( set( key_salt_array))
sksa = sorted( key_salt_array); sh = sorted(hash_array)
sksa = sorted( key_salt_array); sh = sorted(hash_array)
sksa = sorted( key_salt_array); sh = sorted(hash_array)
fh = open("./keys/keysandsalts_unsorted_privat.tex","w");
fh = open("./keys/keysandsalts_unsorted_privat.tex","w");
fh = open("./keys/keysandsalts_unsorted_privat.tex","w");
fh.writelines(key_salt_array) ; fh.close()
fh.writelines(key_salt_array) ; fh.close()
fh.writelines(key_salt_array) ; fh.close()
fh = open("./keys/hashes_sorted_public.txt","w");
fh = open("./keys/hashes_sorted_public.txt","w");
fh = open("./keys/hashes_sorted_public.txt","w");
fh.writelines(sh) ; fh.close()
fh.writelines(sh) ; fh.close()
fh.writelines(sh) ; fh.close()
fh = open("./keys/keys_sorted_for_eb.txt","w");
fh = open("./keys/keys_sorted_for_eb.txt","w");
fh = open("./keys/keys_sorted_for_eb.txt","w");
fh.writelines(sksa) ; fh.close()
fh.writelines(sksa) ; fh.close()
fh.writelines(sksa) ; fh.close()

# the following tuple of rows check key validity

# the following tuple of rows check key validity

# the following tuple of rows check key validity

# salt = "put salt here"; my_key = "put key here";

# salt = "put salt here"; my_key = "put key here";

# salt = "put salt here"; my_key = "put key here";

# print(hashlib.sha256(salt.encode()+my_key.encode()+salt.encode()).hexdigest())

```
```


# print(hashlib.sha256(salt.encode()+my_key.encode()+salt.encode()).hexdigest())

```
```


# print(hashlib.sha256(salt.encode()+my_key.encode()+salt.encode()).hexdigest())

```
```


## Blind Proxy

 Voting ImplementationElections to the ICS Institution Board 2021
Election round №: 2

## SALT: 7360f21fb824400f974d1954769fa018

## KEY: coLvPR

Use the following Python code to check validity of the key obtained:
import hashlib, string
salt $=$ " $7360 f 21$ fb824400f974d1954769fa018"
mykey = "coLvPR"
print(hashlib.sha256(salt.encode()+mykey.encode()+salt.encode()).hexdigest())

List of hash values is available at:
http://url.to.hash.list

Blind Proxy Voting Implementation František Hakl
Requirements
Actors and
roles
Data flow
Keys and
hash
Key code
example
Ballot forms
examples
Matrix example
Perm. example
Rules \&
Axioms
Rules
Axioms
Attacks
analysis
Table
Conclusion


Blind Proxy Voting Implementation František Hakl

Requirements
Actors and roles

Data flow
Keys and hash

Key code example

Ballot forms examples Matrix example Perm. example

Rules \& Axioms
Rules Axioms

Ballot forms example (minimal handwriting, fixed number of fields):
(odt/docx blank files will be available, blue text is filled by voter)

(Honza, Libor, Alena selected)

Blind Proxy Voting Implementation František Hakl Requirements

Actors and roles

Data flow
Keys and hash

Key code example

Ballot forms examples Matrix example Perm. example

Ballot forms example (text version with variable number of fields):
(odt/docx blank files will be available, blue text is filled by voter)


| Alena <br> Honza <br> Josef <br> Karel <br> Libor | Nobody | 1 |
| :---: | :---: | :---: |
|  | Beatles | 2 |
|  |  | 3 |
|  | blah blah | 4 |
|  |  | 5 |
|  | Karel, Libor | 6 |
|  | Alena | 7 |
|  | Karel | 8 |
|  | Ferrari | 9 |
|  | Libor | 10 |
|  |  | 11 |
|  | Josef | 12 |
|  | Honza | 13 |
|  | Mozart | 14 |
|  | Libor | 15 |
| L1 key: |  |  |

(Honza, Libor, Alena selected, $\Omega=-6776070$ )

```
Blind Proxy
Voting Imple-
    mentation
František Hakl
```


## Code generating OG vectors

```
#!/usr/bin/python3
```

\#!/usr/bin/python3
import random, time, string
import random, time, string
random_seed = input('Please enter any randomize string: ')
random_seed = input('Please enter any randomize string: ')
random.seed(random_seed+str(time.time())) \# time prevent recalculation
random.seed(random_seed+str(time.time())) \# time prevent recalculation
A = int(input('Please enter value of "A" (int): '))
A = int(input('Please enter value of "A" (int): '))
X = int(input('Please enter value of "X" (int): '))
X = int(input('Please enter value of "X" (int): '))
B = random.randint (1000, 10000); Y = random.randint(1000, 10000)
B = random.randint (1000, 10000); Y = random.randint(1000, 10000)
AA = random.randint(10000, 50000); BB = random.randint (1000, 10000)
AA = random.randint(10000, 50000); BB = random.randint (1000, 10000)
XX = random.randint(10000, 50000); YY = random.randint (1000, 10000)
XX = random.randint(10000, 50000); YY = random.randint (1000, 10000)
Z = random.randint(1000, 10000)
Z = random.randint(1000, 10000)
omega = X*XX-Y*YY+Z
omega = X*XX-Y*YY+Z
C = omega - A*AA +B*BB
C = omega - A*AA +B*BB
while( C < 3000 ) :
while( C < 3000 ) :
B = B + 1
B = B + 1
C}=\mathrm{ omega - A*AA +B*BB
C}=\mathrm{ omega - A*AA +B*BB
while( C > 50000 ) :
while( C > 50000 ) :
BB = BB - 1
BB = BB - 1
C = omega - A*AA +B*BB
C = omega - A*AA +B*BB
left_str = "X * %d - Y * %d + %d = Omega"%(XX,YY,Z)
left_str = "X * %d - Y * %d + %d = Omega"%(XX,YY,Z)
right_str = "Omega = A * %d - B * %d + %d"%(AA,BB,C)
right_str = "Omega = A * %d - B * %d + %d"%(AA,BB,C)
print("A = %d"%(A)); print("B = %d"%(B)); print( left_str+"\n" )
print("A = %d"%(A)); print("B = %d"%(B)); print( left_str+"\n" )
print("X = %d"%(X)); print("Y = %d"%(Y)); print( right_str+"\n" )
print("X = %d"%(X)); print("Y = %d"%(Y)); print( right_str+"\n" )
print("Omega = %d"%(omega))

```
print("Omega = %d"%(omega))
```


## Blind Proxy

 Voting Implementation
## František Hakl

Requirements
Actors and roles

Data flow
Keys and hash

Key code example

Ballot forms examples
Matrix example
Perm. example
Rules \& Axioms

Rules

Axioms
Attacks analysis
Table
Conclusion


Blind Proxy Voting Implementation

Evaluation rules:

- $\mathbf{R}_{\mathbf{K}}$ : $\bar{G}_{1,2}$ publish lists of all keys with salts and size of $\bar{S}_{1} \cap \bar{S}_{2}$, where $\bar{S}_{1,2}$ are signature lists corresponding to $\bar{G}_{1,2}$
- $\mathbf{R}_{\mathbf{V}}$ : a tuple (CANDIDATE, CHECKBOX) of sheets is valid iff
- $\mathbf{R}_{\mathrm{VA}}$ : all keys $L 1, L 2, D 1, D 2$ are in key lists and
- $\mathbf{R}_{\mathrm{VK}}: L 2-D 1$ keys tuple is the same on both sheets and
- $\mathbf{R}_{\mathrm{vo}}$ : numbers of filled fields on the opposite sheets are correct and
- $\mathbf{R}_{\mathrm{V} 1}$ : for a given L2 - D1 keys only one such CANDIDATE sheet and one such CHECKBOX sheet are in the ballot box
- $\mathbf{R}_{\mathbf{R}}$ : any sheets which does not form a valid tuple will be removed
- $\mathbf{R}_{\mathbf{2}}$ : if $L 1, L 2, D 1, D 2$ and $L 1^{*}, L 2^{*}, D 1^{*}, D 2^{*}$ are keys for two valid tuples and $\{L 1, L 2, D 1, D 2\} \cap\left\{L 1^{*}, L 2^{*}, D 1^{*}, D 2^{*}\right\} \neq \emptyset$ remove both valid tuples
- $\mathbf{R}_{\mathbf{N}}$ : the candidate received a vote in a valid tuple if his/her name is in the row in which " $x$ " is present in the CHECKBOX sheet
- $\mathbf{R}_{\mathbf{P L}}$ : finally the following items will be published:
- $\mathbf{R}_{\text {PL1 }}$ : list of $L 2$ and $D 1$ keys in all valid tuples will be published (without bounds between L2 and D1)
- $\mathbf{R P L 2}$ : list of all keys in invalid sheets will be also published
- $\mathbf{R}_{\text {PL3 }}$ : for all valid tuples of sheets both of them will be published but WITHOUT upper parts of tables containing L2 - D1 keys and number of filled fields in the second sheet

Blind Proxy Voting Implementation

Axioms:

- $\mathbf{A}_{E B}$ : election board is undoubtedly credible and trustworthy
- $\mathbf{A}_{\mathrm{G}}$ : each generator is undoubtedly credible and trustworthy
- $\mathbf{A}_{\text {keys }}$ : the probability of keys matching is negligible
- $A_{\text {hash }}$ : it is infeasible to generate a key from its hash value except by trying all possible salt.key.salt
- Avpp : each voter know and trust his/her proxy(ies)
- App : proxies does not know each other
- $\mathbf{A}_{\mathbf{P}}$ : each proxy has electoral intentions similar to that of his/her principal voter or does not know who is
- API : proxy identity is known to his/her principal voter only
- $\mathbf{A}_{\text {disj }}: \bar{G}_{i}, \bar{P}_{i, v}, v \in \bar{V}, \bar{E} B, \bar{C}$ are mutually disjoint

Validity of election process:

- $\mathbf{V}_{1}$ : election process is invalid if the number of valid tuples is greater than size of signature lists intersection
- $\mathbf{V}_{\mathbf{2}}$ : election process is invalid if the number of valid tuples is less than predefined number (mainly one half of all voters)


## Blind Proxy

 Voting ImplementationObjectionable secret behavior:
("secret" behavior means that the originator(s) of the action will remain(s) unknown for everybody and forever)

- secret Sabotage of the electoral process
(any action which results in the invalidity of the electoral process)
- secret intentional Manipulation of voting result
(somebody has the possibility to change voting of someone else in a specific manner)
- secret voter's identity Disclosure
(somebody knows the voting of somebody else voter or provides an information leading to such knowledge)
- secret Randomization of voting result
(somebody has the possibility randomly change voting of someone else)
- secret Targeted Invalidation of voter's vote
(any action which results in the invalid voting of known someone else)
- secret Random Invalidation of voter's vote
(any action which results in the invalid voting of unknown someone else)

Blind Proxy Voting Implementation František Hakl Requirements

Actors and roles

Data flow
Keys and hash

Key code example Ballot forms examples Matrix example Perm. example

Rules \& Axioms

Analysis of secret violation of election: $\left(\frac{\text { why can do / why can not do }{ }^{\text {Jizerka, Sep }}{ }^{18} \text { reason that violates the secrecy or impediments to action }}{)^{18}}\right.$

|  | $\bar{G}_{1}$ | $\bigcup_{i} \bar{G}_{i}$ | $\bar{P}_{1, v}$ | $\bigcup_{i} \bar{P}_{i, v}$ | $\mid m E \bar{E} B \cup \bar{P}_{1, v}$ | $B \cup\left(\bigcup_{i} \bar{P}_{i, v}\right)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Sabotage | $\frac{U O K}{\mathbf{A}_{G}, \mathbf{R}_{\mathrm{VA}}}$ | $\frac{\mathrm{KK}}{\substack{\mathbf{A}_{\mathbf{G}}, \mathbf{R}_{\mathrm{PL}} \\(+1)}}$ | $\frac{\text { UOK }}{\mathbf{R}_{\text {VA }}}$ | $\frac{\text { UOK }}{\text { no info }}$ | $\begin{gathered} \frac{\text { ex post }}{\text { expost }} \\ \mathbf{A}_{\text {EB }} \end{gathered}$ | $\begin{gathered} \frac{\text { ex post }}{\text { ex post }} \\ \mathbf{A}_{\text {EB }} \end{gathered}$ |
| Manipulation | $\frac{U O K}{\mathbf{A}_{G}, \mathbf{R}_{\mathrm{VA}}}$ | $\frac{\mathrm{MIII}}{\mathrm{~A}_{\mathrm{G}}}$ | $\frac{U O K}{A_{P}, A_{P P}}$ | $\frac{\mathrm{KK}}{\mathbf{A}_{\mathbf{P}}, \mathrm{R}_{\mathrm{PL} 3}}$ | $\begin{aligned} & \frac{\text { ex post }}{\text { expost }} \\ & \mathbf{A}_{\text {EB }} \end{aligned}$ | $\begin{aligned} & \frac{\text { ex post }}{\text { expost }} \\ & \mathbf{A}_{\mathbf{E B}} \end{aligned}$ |
| Disclosure | $\frac{\mathrm{MII}}{\mathrm{A}_{\mathrm{G}}}$ | $\frac{\mathrm{MIII}}{\mathrm{~A}_{\mathrm{G}}}$ | $\frac{\mathrm{KK}}{\mathrm{R}_{\mathrm{VPP}}}$ | $\frac{\mathrm{KK}}{\mathrm{~A}_{\mathrm{VPP}}}$ | $\frac{\mathrm{KK}}{\mathrm{~A}_{\mathrm{EB}}, \mathbf{A}_{\mathrm{VPP}}} \begin{gathered} \mathbf{A}_{\mathrm{PI}} \end{gathered}$ | $\frac{K K}{A_{E B}, A_{\text {VPP }}} \underset{A_{P I}}{ }$ |
| Randomization | $\frac{U O K}{\mathbf{A}_{\mathrm{G}}, \mathbf{R}_{\mathrm{VA}}}$ | $\frac{M \\| I}{A_{G}}$ | $\frac{\mathrm{KK}}{\mathrm{~A}_{\mathbf{P}}, \mathrm{R}_{\mathrm{PL} 3}}$ | $\frac{\mathrm{KK}}{\mathrm{~A}_{\mathbf{P}}, \mathrm{R}_{\mathrm{PL} 3}}$ | $\begin{aligned} & \frac{\text { ex post }}{\text { expost }} \\ & \mathbf{A}_{\text {EB }} \end{aligned}$ | $\begin{aligned} & \frac{\text { ex post }}{\text { expost }} \\ & \mathbf{A}_{\mathbf{E B}} \end{aligned}$ |
| Targeted Inval. | $\frac{U O K}{\mathbf{A}_{\mathbf{G}}, \mathbf{R}_{\mathrm{VA}}}$ | $\frac{\mathrm{MIII}}{\mathrm{~A}_{\mathrm{G}}}$ | $\frac{\mathrm{KK}}{\mathrm{~A}_{\mathrm{VPP}}, \mathrm{R}_{\mathrm{PL} 3}}$ | $\frac{\mathrm{KK}}{\mathbf{A}_{\mathrm{VPP}}, \mathrm{R}_{\mathrm{PL} 3}}$ | $\begin{aligned} & \frac{\text { ex post }}{\text { ex post }} \\ & \mathbf{A}_{\text {EB }} \end{aligned}$ | $\begin{aligned} & \frac{\text { ex post }}{\text { expost }} \\ & \mathbf{A}_{\text {EB }} \end{aligned}$ |
| Random Inval. | $\frac{U O K}{\mathbf{A}_{G}, \mathbf{R}_{\mathrm{VA}}}$ | $\frac{\mathrm{KK}}{\mathbf{A}_{\mathbf{G},}, \mathbf{R}_{\mathbf{2}}}$ | $\frac{\mathrm{UOK}}{\mathrm{R}_{\mathrm{VA}}}$ | $\frac{\mathrm{UOK}}{\mathbf{R}_{\mathrm{VA}}}$ | $\begin{aligned} & \frac{\text { ex post }}{\text { ex post }} \\ & \mathbf{A}_{\text {EB }} \end{aligned}$ | $\begin{gathered} \frac{\text { ex post }}{\text { ex post }} \\ \mathbf{A}_{\text {EB }} \end{gathered}$ |

UOK - unknown other keys, MII - missing identity information, KK- known keys, mEB - member of $\bar{E} B$

Blind Proxy Voting Implementation

Conclusion:
Suggested process:

- in the case of axiom validity no one person or tuple of persons can do objectionable secret action
- meets general requirements $\mathbf{G R}_{1-8}$
- ??? meets statutory requirement $\mathbf{S R}_{\text {No341 }}$ ??? - legal analysis is needed

Practical notes:

- paper version of sheets is recommended due to lack of meta-info (which is included in electronic formats like PDF, jpeg, $\operatorname{doc}(\mathrm{x}), \ldots$ )
- practical realization of sheets should be the same for all voters in order to keep privacy of distant voters
- public printers in ICS are accessible for everyone - use your own local printer or print directly via USB stick on printer with USB input port


## Blind Proxy

 Voting ImplementationFrantišek Hakl

Electronical (www) implementation:

Requirements
Actors and roles

Data flow
Keys and hash

Key code example

Ballot forms examples
Matrix example
Perm. example
Rules \& Axioms
Rules
Axioms
Attacks analysis
Table
Conclusion
??? trustworthy and transparent ???

